

A Basic Introduction of How to EECT Guide

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Spring 2014

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- Multiple capacitors combine in series and parallel.
- Using a simple RC circuit determine the
 - a. Time Constant
 - b. Create a graph that shows the RC time constant as a function of time
 - c. Determine X_C at a fixed frequency
 - d. Create a graph that shows how X_C changes as a function of frequency
- Multiple inductors combine in series and parallel.
- Using a simple RL circuit determine the
 - a. Time Constant
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Combine multiple resistors in series and parallel

Combining resistors in series:

Calculating the total resistance for two or more resistors strung end to end – that is, in series – is simple: You simply add the resistance values to get the total resistance.

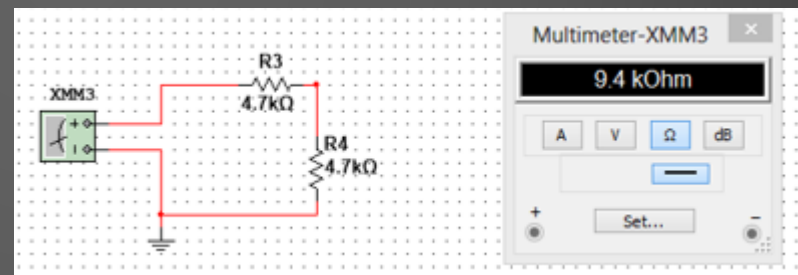
$$R_{\text{total}}=R_1+R_2+R_{\dots}$$

$$4.7\Omega+4.7\Omega=9.4\Omega$$

Calculations in Excel

R ₁ =	4.7	Ω
R ₂ =	4.7	Ω
R _T =	4.7	Ω

Resistors Simulated in Multisim



Combining Resistors in Parallel

Reciprocal rule

When Resistors are connected in parallel, the total total resistance (R_t) is equal to:

$$1/R_t = 1/R_1 + 1/R_2 + 1/R_3 + \dots$$

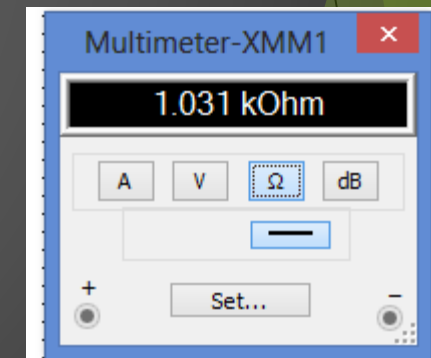
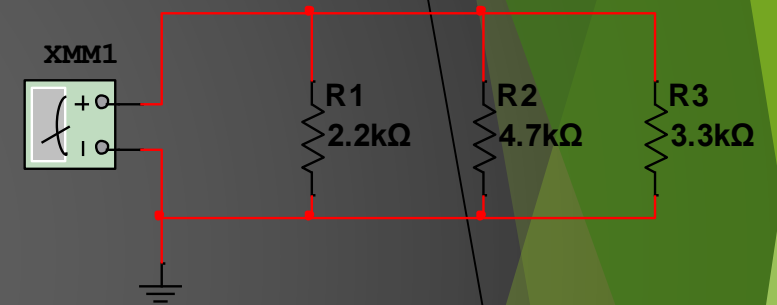
Note: Due to this reciprocal relationship, the total resistance is always smaller than any individual resistance:

$$R_{total} = 1 / (1/2.2k\Omega + 1/4.7\Omega + 1/3.3\Omega) = 1.031k\Omega$$

Calculated by excel

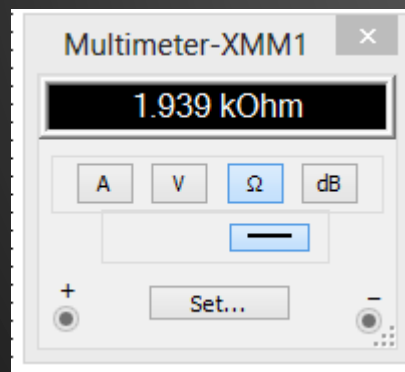
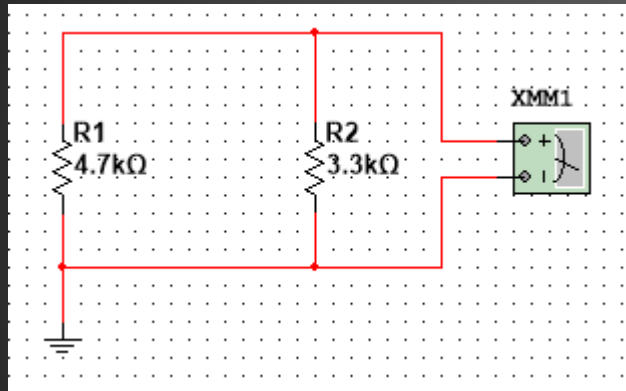
$R_1 =$	2.20E+03
$R_2 =$	4.70E+03
$R_3 =$	3.30E+03
$R_T =$	1.03E+03

Simulation



Product over the sum Method

Multisim Simultaion



Calculation by hand an Excel

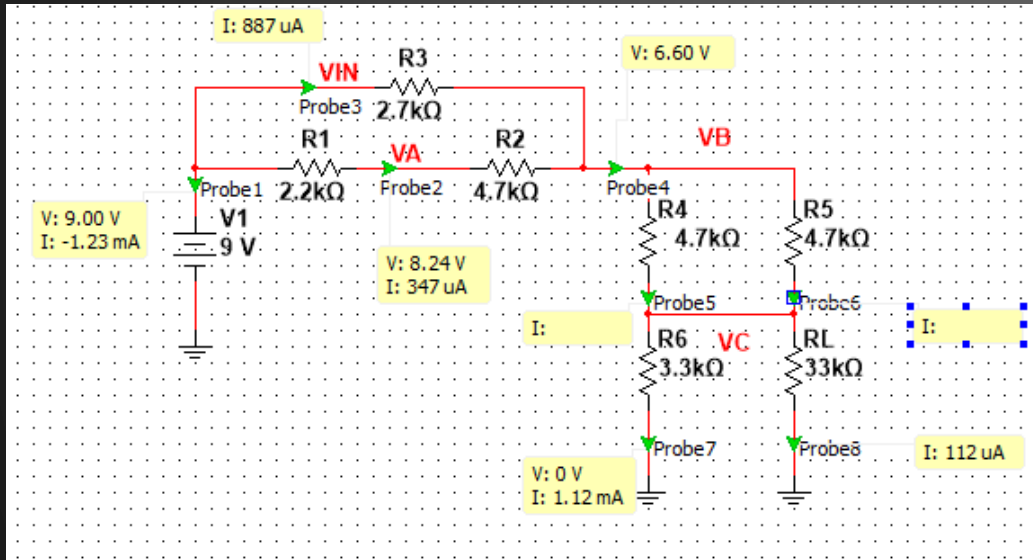
R1	4.70E+03	Ω
R2	3.30E+03	Ω
R _T	1.94E+03	Ω

$$R_T = \frac{R_2 \times R_3}{R_2 + R_3}$$

$$R_T = \frac{4.7K \times 3.3K}{4.7K + 3.3K} = \frac{15.51}{8K} = 1.938K \Omega$$

By example calculate R_T , I_T , P_T , and all the nodal voltages, branch currents and power

Calculate R_T , I_T , P_T , and all the nodal voltages, branch currents and power dissipation of a resistor network.



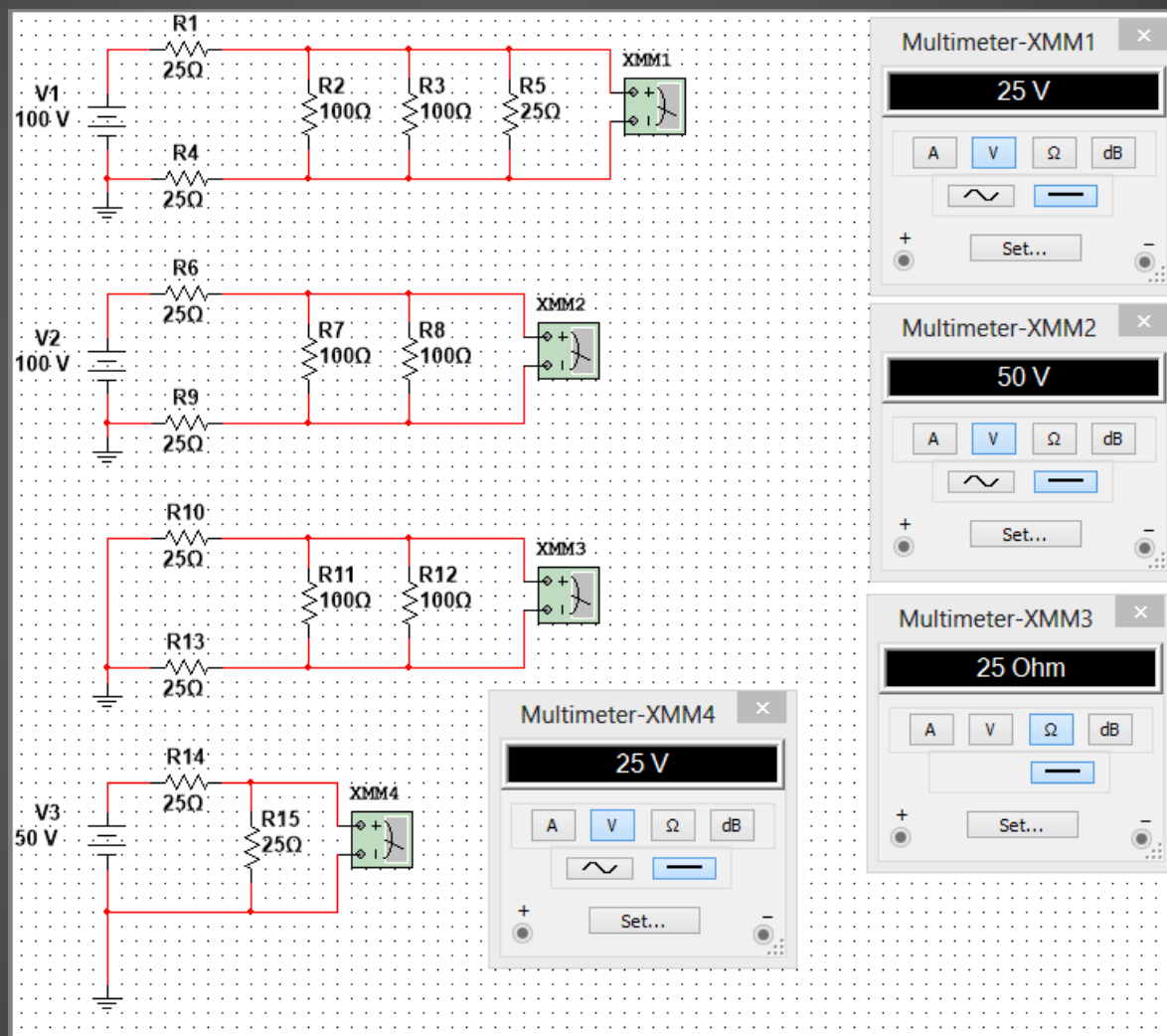
Vin =	9				
R1 =	2.2E+3				
R2 =	4.7E+3				
R3 =	2.7E+3				
R4 =	4.7E+3				
R5 =	4.7E+3				
R6 =	3.3E+3				
RL =	33.0E+3				
R12 =	6.9E+3				
R123 =	1.9E+3				
R45 =	2.4E+3				
RL6 =	3.0E+3				
RL456 =	5.4E+3				
RT =	7.3E+3				
IT =	1.2E-3				
VB =	6.60				
VC =	3.70				
IProbe5 =	617.2E-6				
IProbe6 =	617.2E-6				
IProbe3 =	887.3E-6				
IProbe2 =	347.2E-6				
IProbe7 =	1.1E-3				
IProbe8 =	112.2E-6				
VA =	8.24				
R12=R1+R2					
R123=(R3*R12)/(R3+R12)					
R45=R4/2					
RL6=(R6*RL)/(R6+RL)					
RL456=R45+RL6					
RT=R123+RL456					
IT=Vin/RT					
VB=RL456*IT					
VC=RL6*IT					
IProbe5=(VB-VC)/R4					
IProbe6=(VB-VC)/R5					
IProbe3=(VIN-VB)/R3					
IProbe2=IT-IProbe3					
IProbe7=VC/R6					
IProbe8=VC/RL					
VA=B1-(R1*IProbe2)					
PR1 =	265.2E-6				
PR2 =	566.6E-6				
PR3 =	2.1E-3				
PR4 =	1.8E-3				
PR5 =	1.8E-3				
PR6 =	4.2E-3				
PRL =	415.6E-6				
PT =	11.110E-3				
PT check =	11.110E-3				

$PR1 = I_{probe}^2 * R1$
 $PR2 = I_{PROBE2}^2 * R2$
 $PR3 = I_{PROBE3}^2 * R3$
 $PR4 = I_{PROBE5}^2 * R4$
 $PR5 = I_{PROBE6}^2 * R5$
 $PR6 = (VC^2) / R6$
 $PRL = (VC^2) / R7$
 $PT = Vin * IT$
 $PT\ check = SUM(ALL\ PROBES)$

By example calculate the Thevenin Resistance and Voltage of a resistor network

By example calculate the Thevenin Resistance and Voltage of a resistor network.

- Thevenin's theory is used to simplify complex networks so the calculations of voltage across any two given points in a circuit.



Step 1	
R1=	10.0E+3 Ω
R2=	10.0E+3 Ω
R3=	10.0E+3 Ω
R4=	10.0E+3 Ω
R5=	10.0E+3 Ω
R6=	10.0E+3 Ω

Step 2	
R1=	10.0E+3 Ω
R2=	10.0E+3 Ω
R34=	5.0E+3 Ω
R5=	10.0E+3 Ω
R6=	10.0E+3 Ω

Step 3	
R1=	10.0E+3 Ω
R2=	10.0E+3 Ω
R3456=	25.0E+3 Ω

Step 4	
R1=	10.0E+3 Ω
R23456=	7.1E+3 Ω

Step 5	
R123456=	17.1E+3 Ω

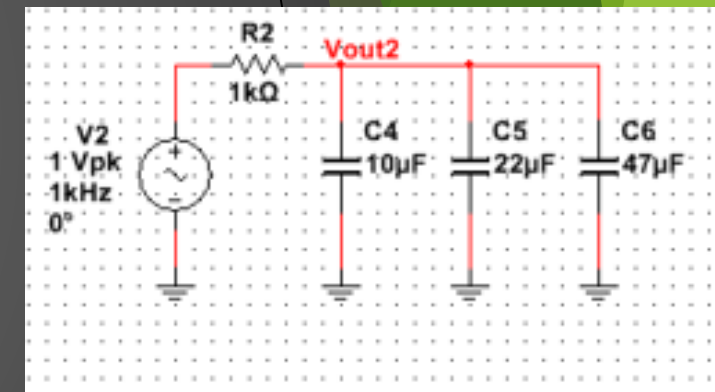
Multiple capacitors combine in series and parallel

Multiple capacitors combined in parallel

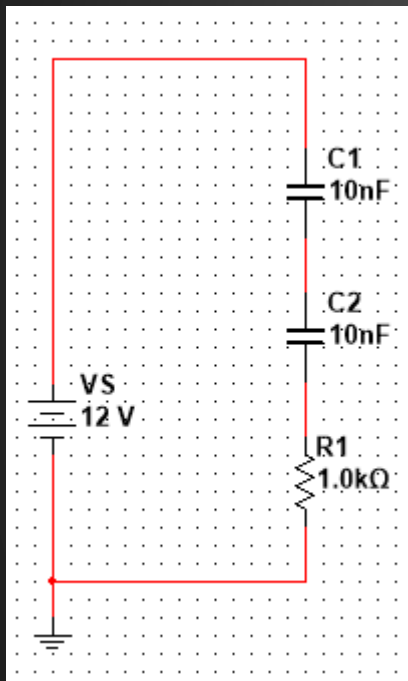
$C_1=$	$10.0E-6$
$C_2=$	$22.0E-6$
$C_3=$	$47.0E-6$
$C_t=$	$79.0E-6$

Calculating capacitance for capacitors in parallels is very simple, it is actually the same as calculating resistors in parallel. This is done by adding the capacitors.

$$C_{total}=C_1+C_2+C_3.....$$



Multiple capacitors combined Series



- For series capacitors:
 - Sum of the reciprocals

$$C_T = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3} + \dots + \frac{1}{C_n}}$$

- For two series capacitors:
 - Product-over-the-sum

$$C_T = \frac{C_1 \times C_2}{C_1 + C_2}$$

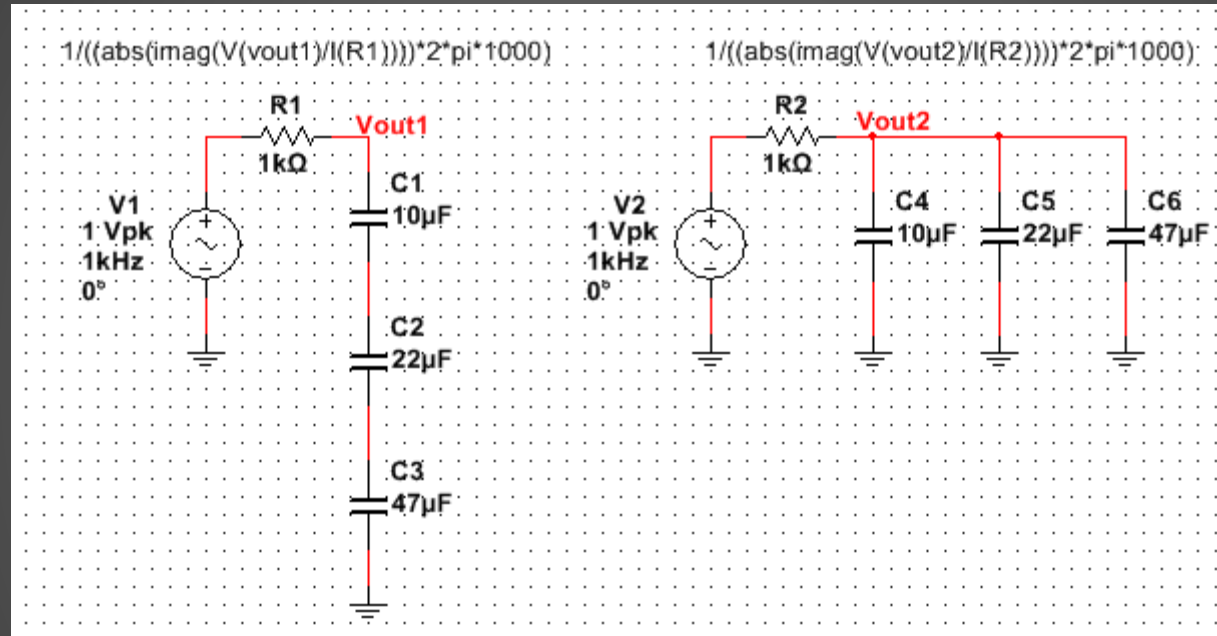
C1=	10.0E-9 F
C2=	10.0E-9 F
Ct=	5.0E-9 F

Capacitance Reactance

Multisim verification of Series and Parallel

Series

Parallel



Capacitor
Single Frequency AC Analysis @ 1000 Hz

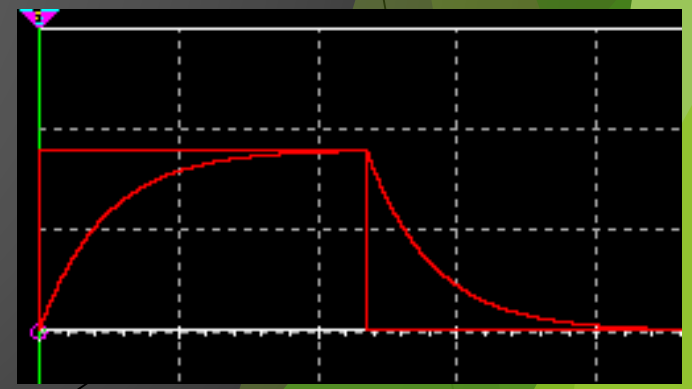
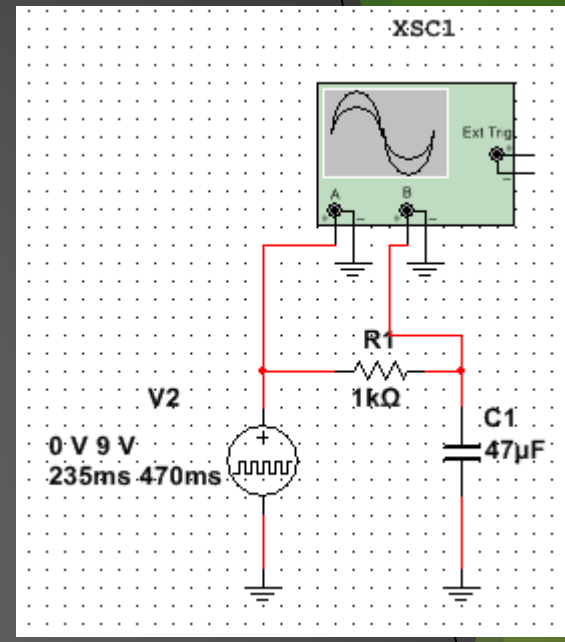
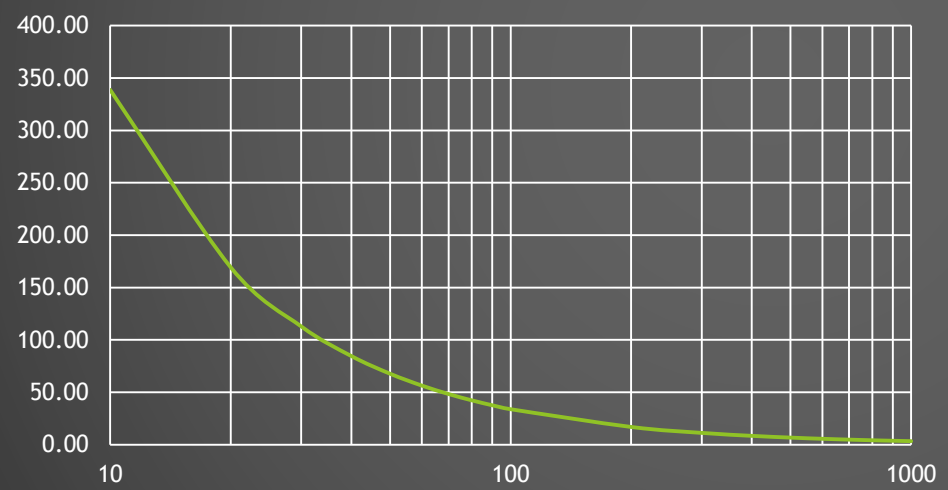
	AC Frequency Analysis	Real	Imaginary
1	$1/((\text{abs}(\text{imag}(V(\text{vout1})/I(R1))))*2*\pi*1000)$	5.99768 u	0.00000
2	$1/((\text{abs}(\text{imag}(V(\text{vout2})/I(R2))))*2*\pi*1000)$	79.00000 u	0.00000

Using a simple RC circuit determine the

- a. Time Constant
- b. Create a graph that shows the RC time constant as a function of time
- c. Determine X_C at a fixed frequency
- d. Create a graph that shows how X_C changes as a function of frequency

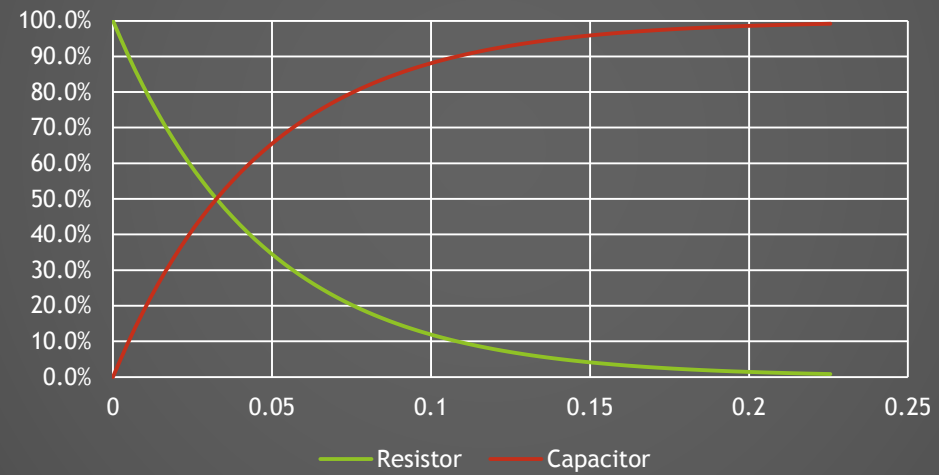
c=	47.0E-6 Farands
Freq	Xc
10	338.63
20	169.31
30	112.88
40	84.66
50	67.73
60	56.44
70	48.38
80	42.33
90	37.63
100	33.86
200	16.93
300	11.29
400	8.47
500	6.77
600	5.64
700	4.84
800	4.23
900	3.76
1000	3.39

$$X_c = 1 / (2 * \pi * f * C)$$



Time Constant chart

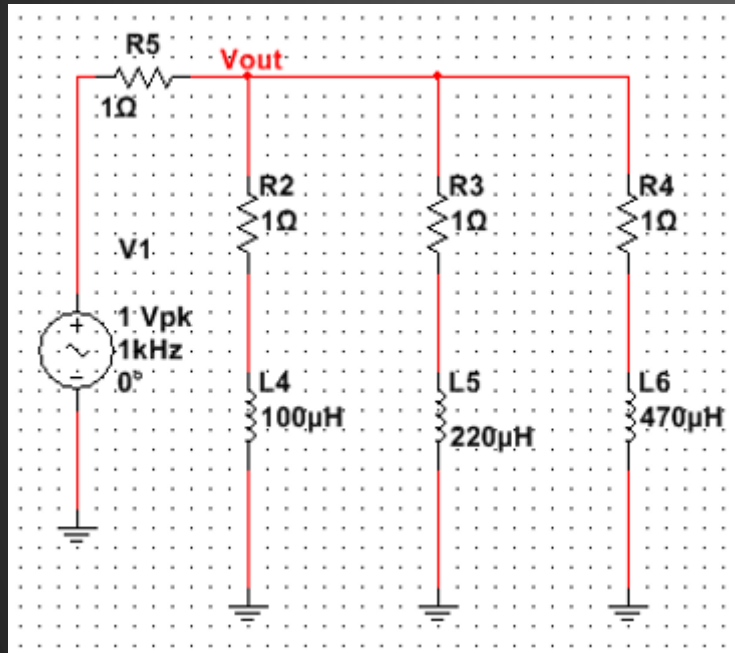
Time Constant Chart for Resistor vs Capacitor



Multiple inductors combine in series and parallel

Parallel Inductor Combinations

Multisim Simulations



Excel verification

L1=	1.00E-04	H
L2=	2.20E-04	H
L3=	4.70E-04	H
Lt=	6.00E-05	H

Formula for Parallel inductors

Reciprocal method

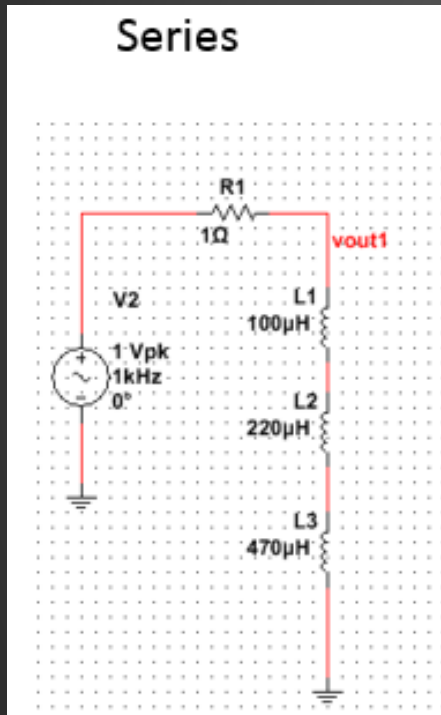
$$L_T = \frac{1}{\frac{1}{L_1} + \frac{1}{L_2} + \frac{1}{L_3} + \dots + \frac{1}{L_n}}$$

For two inductors by cross product method

$$L_T = \frac{L_1 \times L_2}{L_1 + L_2}$$

Inductors in Series Combination

Multisim Simulation



Excel calculation

L ₁ =	100.0E-6 H
L ₂ =	220.0E-6 H
L ₃ =	470.0E-6 H
L _T =	790.0E-6 H

Calculation of series Inductors

- All the inductance values add together to calculate total Inductance

- $$L_T = L_1 + L_2 + L_3 \dots \text{etc}$$

- Example (Fig. 1-1)

- $$L_T = 100\mu\text{H} + 220\mu\text{H} + 470\mu\text{H}$$

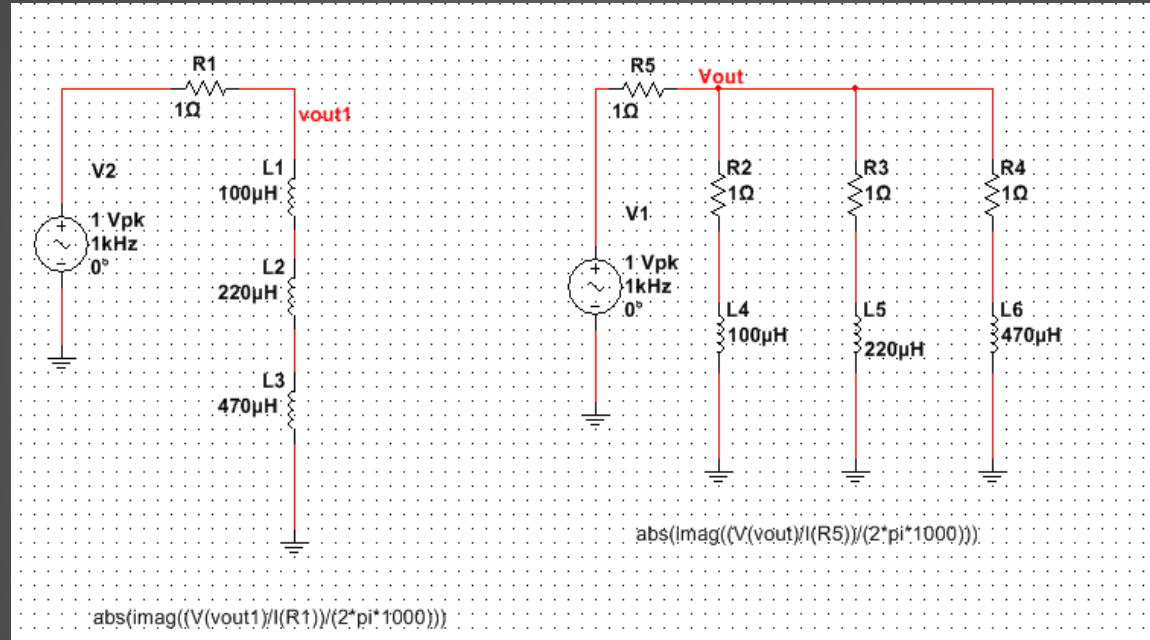
- $$L_T = 790\mu\text{H}$$

Inductance

Inductors In parallel and Series calculation verification

Series

Parallel



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Single Frequency AC Analysis | Single Frequency AC Analysis | Single Frequency AC Analysis | Single Frequen

Design1

Single Frequency AC Analysis @ 1000 Hz

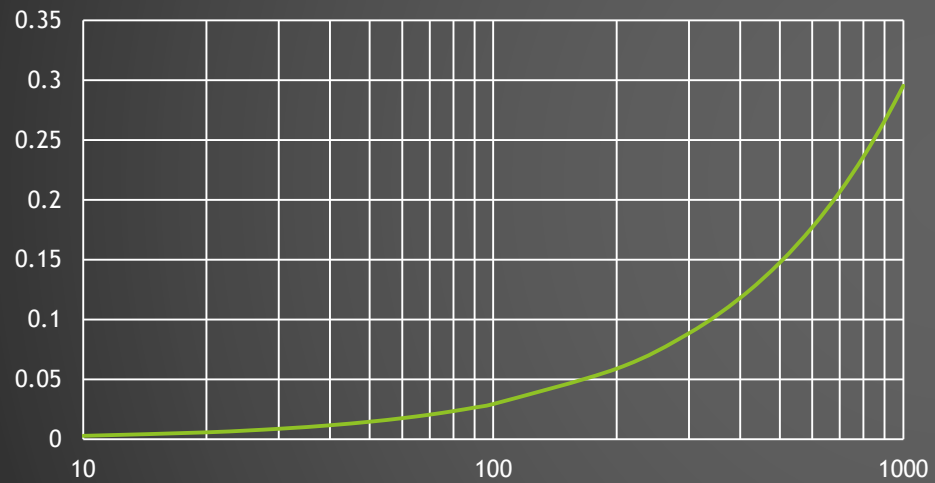
Instructor Andy Bell

	AC Frequency Analysis	Real	Imaginary
1	$\text{abs}(\text{imag}((V(vout))/I(R5))/(2*\pi*1000)))$	68.29847 u	0.00000
2	$\text{abs}(\text{imag}((V(vout1))/I(R1))/(2*\pi*1000)))$	790.00000 u	0.00000

Using a simple RL circuit determine the

- a.) Time Constant
- b.) Create a graph that shows the RL time constant as a function of time
- c.) Determine X_L at a fixed frequency
- d.) Create a graph that shows how X_L changes as a function of frequency

$$X_L = 2\pi fL$$



	47.0E-6
10	0.002953097
20	0.005906194
30	0.008859291
40	0.011812388
50	0.014765485
60	0.017718583
70	0.02067168
80	0.023624777
90	0.026577874
100	0.029530971
200	0.059061942
300	0.088592913
400	0.118123884
500	0.147654855
600	0.177185826
700	0.206716797
800	0.236247768
900	0.265778738
1000	0.295309709